Jasper City Schools 8th Grade Advanced Pre-Algebra Pacing Guide 08.14.2018

8th Grade – Advanced Pre-Algebra: Algebra standards will be worked in with the 8th Grade Pre-Algebra standards where they apply.					
First Nine Weeks	Second Nine Weeks	Third Nine Weeks	Fourth Nine Weeks		
3.) Explain why the sum or product of two rational numbers is rational; that the sum of a rational number and an irrational number is irrational; and that the product of a nonzero rational number and an irrational number is irrational [N-RN3]	1.) Explain how the definition of the meaning of rational exponents follows from extending the properties of integer exponents to those values, allowing for a notion for radicals in terms of rational exponents. [N-RN1]	 8.) Use the structure of an expression to identify ways to rewrite it. [A-SSE2] 9.) Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity represented by the 	11. (*) Understand that rational expressions form a system analogous to the rational numbers, closed under addition, subtraction, multiplication, and division by a nonzero rational expression; add, subtract, multiply, and divide rational expressions. [A-APR7]		
 4.) Use units as a way to understand problems and to guide the solution of multi-step problems; choose and interpret units consistently in formulas; choose and interpret the scale and 	 2.) Rewrite expressions involving radicals and rational exponents using the properties of exponents. [N-RN2] 13.) Create equations in two or more variables to represent 	expression. * [A-SSE3] a. Factor a quadratic expression to reveal the zeros of the function it defines. [A-SSE3a] b. Complete the square in a quadratic expression to reveal the maximum or minimum value of the	21.) Solve a simple system consisting of a linear equation and a quadratic equation in two variables algebraically and graphically. [A- REI7]		
 the origin in graphs and data displays [N-Q1] 5.) Define appropriate quantities for the purpose of descriptive modeling. [N-Q2] 	relationships between quantities; graph equations on coordinate axes with labels and scales. [A- CED2] 19.) Prove that, given a system of	function it defines. [A-SSE3b] c. Determine a quadratic equation when given its graph or roots. d. use the properties of exponents to transform expressions for exponential functions [A-SSE3c]	33.) Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). [F-IF9]		
6.) Choose a level of accuracy appropriate to limitations on measurement when reporting quantities [NQ-3]	two equations in two variables, replacing one equation by the sum of that equation and a multiple of the other produces a system with the same solutions. [A-REI6]	10.) Understand that polynomials form a system analogous to the integers; namely, they are closed under the operations of addition, subtraction, and multiplication; add,	35.) Write arithmetic and geometric sequences both recursively and with an explicit formula, use them to model situations, and translate between tow forms. * [F-BF2]		

ng
ences,
fa
out
om a
b
ng
eds a
lly) as
• /
1
on
-1D1]
]
to the
0
n) and
ndard
erent
ape
xt of
a
ta for
tive
ne
, and
production in the second secon

corresponding half-planes [A-	functions and with exponential	conditional relative frequencies).
REI12]	functions. [F-LE1]	Recognize possible associations and
	a. Prove that linear functions grow	trends in the data. [S-ID5]
25.) Understand that a function	by equal differences over equal	
from one set (called the domain)	intervals, and that exponential	45.) Represent data on two
to another set (called the range)	functions grow by equal factors over	quantitative variables on a scatter
assigns to each element of the	equal intervals. [F-LE1a]	plot, and describe how the variables
domain exactly one element of	b. Recognize situations in which one	are related. [S-ID6]
the range. If f is a function and x	quantity changes at a constant rate	a. Fit a function to the data; use
is an element of its domain, then	per unit interval relative to another.	functions fitted to data to solve
f(x) denotes the output of f	[F-LE1b]	problems in the context of the data.
corresponding to the input <i>x</i> . The	c. Recognize situations in which a	Uses given functions or choose a
graph of f is the graph of the	quantity grows or decays by a	function suggested by the context.
equation $y=f(x)$. [F-FIF1]	constant percent rate per unit	Emphasize linear, quadratic, and
	interval relative to another. [F-LE1c]	exponential models. [S-ID6a]
26.) Use function notation,		b. Informally assess the fit of a
evaluate functions for inputs in		function by plotting and analyzing
their domains, and interpret		residuals. [S-ID6b]
statements that use function		c. Fit a linear function for a scatter
notation in terms of a context. [F-		plot that suggests a linear
IF2]		association. [S-ID6c]
27.) Recognize that sequences are		46.) Interpret the slope (rate of
functions, sometimes defined		change) and the intercept (constant
recursively, whose domain is a		term) of a linear model in the
subset of the integers. [F-FIF3]		context of the data. [S-ID7]
29.) Relate the domain of a		47.) Understand that two events A
function to its graph and, where		and B are independent if the
applicable, to the quantitative		probability of A and B occurring
relationship it describes. * [F-		together is the product of their
IFS]		probabilities, and use this
_		characterization to determine if they
30.) Calculate and interpret the		are independent. [S-CP2]
average rate of change of a		
function (presented symbolically		
or as a table) over a specified		
	I	1

interval. Estimate the rate of	
change from a graph. * [F-IF6]	

<u>Power Standards</u> ** Power standards are indicated with an asterisk ** These standards are those that are essential for student grade-level success.